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A Metaheuristic Approach for Mission Assignment and Task Offloading in Open RAN-Enabled Intelligent Transport Systems

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SUSTAINABLE COMMUNICATIONS FOR UBIQUITOUS INTELLIGENCE





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Outline

1. Introduction, Problem statement, System model
2. Optimization problem formulation
3. Proposed meta-heuristic algorithm
4. Experimental results
5. Conclusion and future work

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Introduction, Problem statement, System model

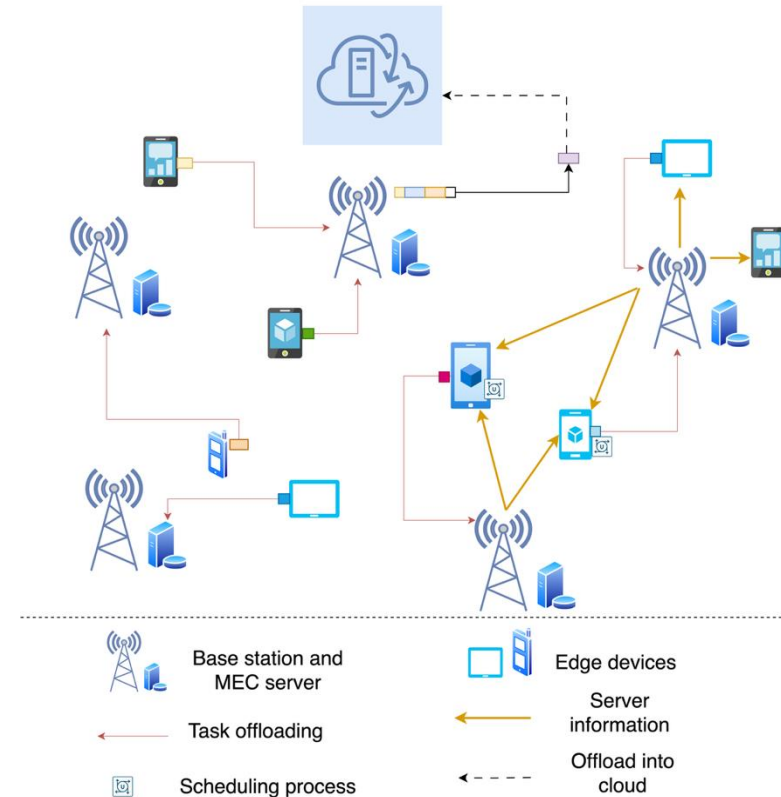
Mobile edge computing systems

Advantages:

- Low latency & reduced backhaul traffic
- Efficient task offloading for autonomous/ITS services
- Proximity to users improves reliability & QoS

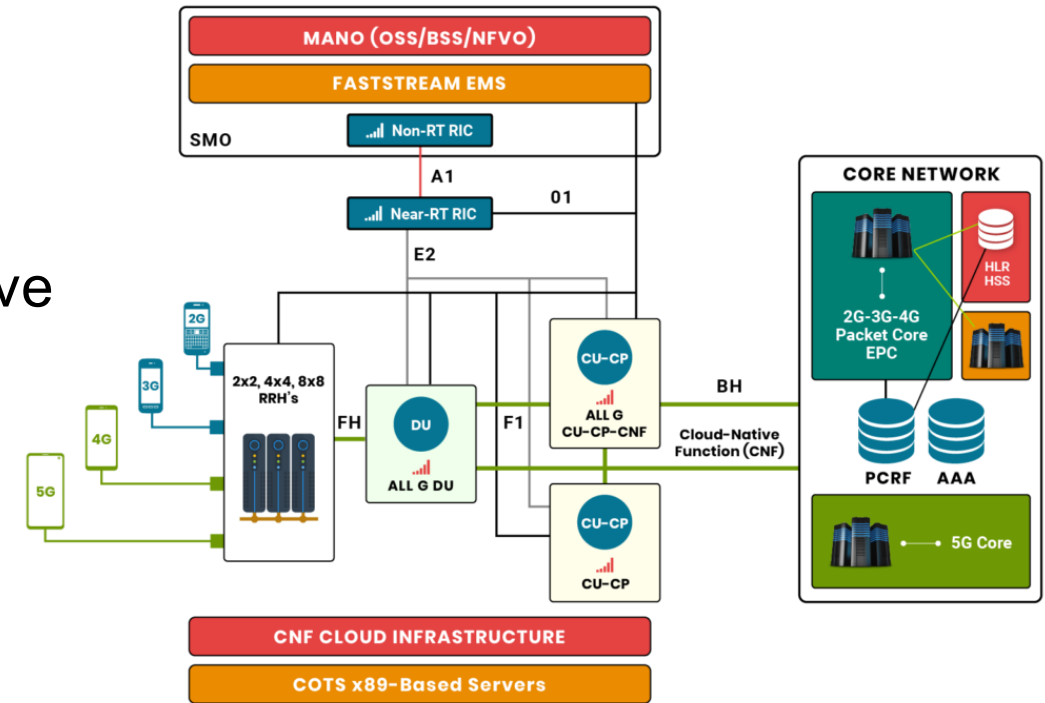
Drawbacks:

- *High deployment & maintenance cost*
- *Limited compute/storage resources vs Cloud*
- *Complexity in mobility, orchestration & security*



Introduction, Problem statement, System model

- Open, interoperable multi-vendor ecosystem
- Flexible, software-defined, and cloud-native architecture
- Supports intelligent control via RIC (rApps/xApps)



Introduction, Problem statement, System model



Trade-off between
latency and
offloading cost

Dependence
between missions
in system

Offloading based
on traffic conditions

RQ:

What is the best way to assign missions to smart vehicles?

How do the MEC, ORAN support delivery systems?

How to design a good search-based solution for the future work?

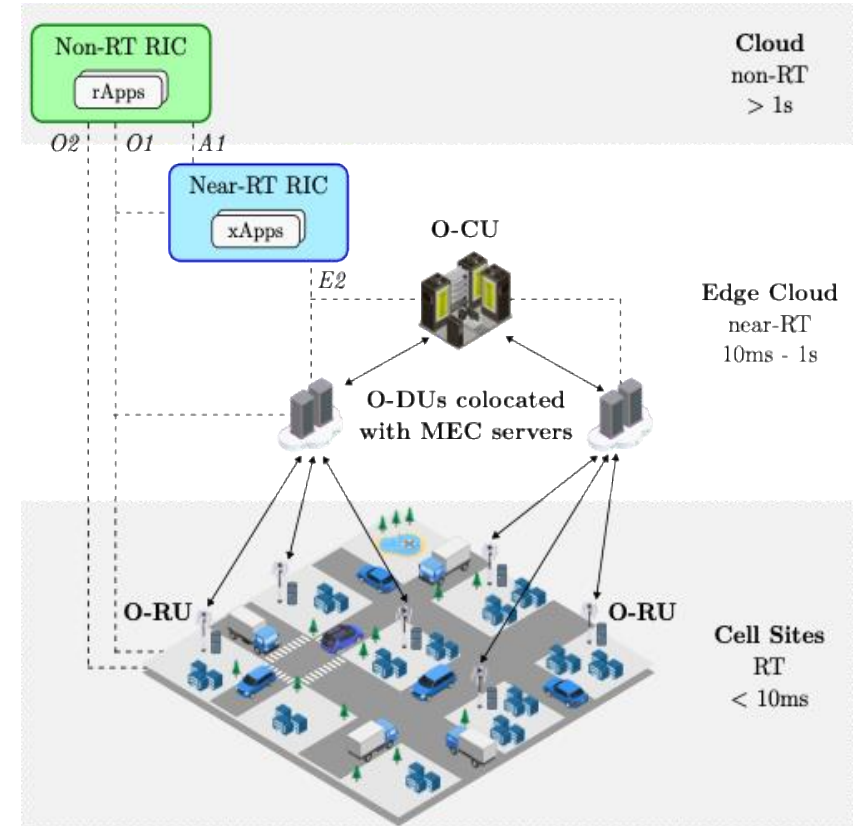
Introduction, Problem statement, System model

Optimize mission assignment & task offloading for autonomous vehicles in Open RAN-ITS

Goal: *Maximize missions completed before deadlines*

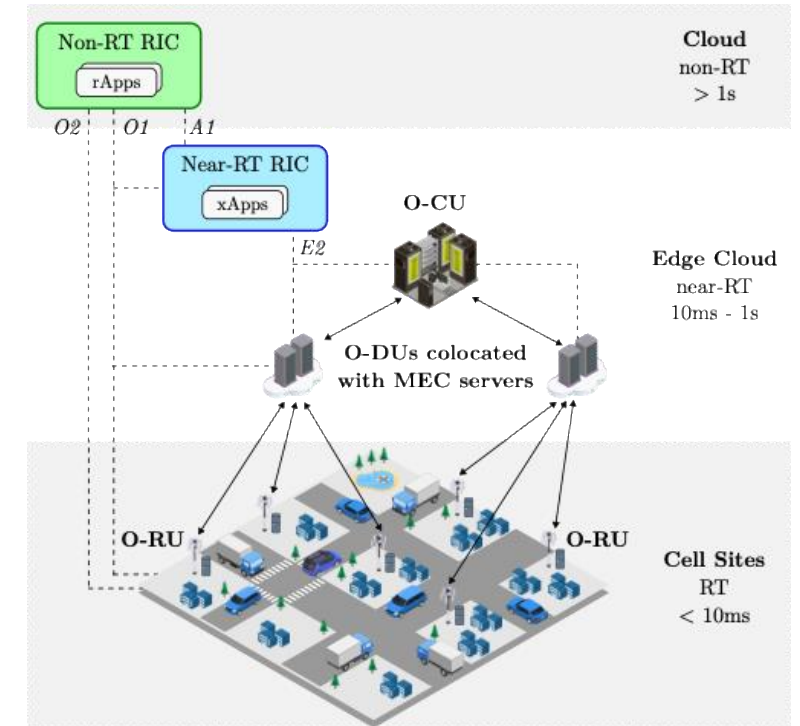
Considering:

- *Mission dependencies*
- *Offloading cost/budget*
- *Communication, computation & travel delays*



Problem statement, System model

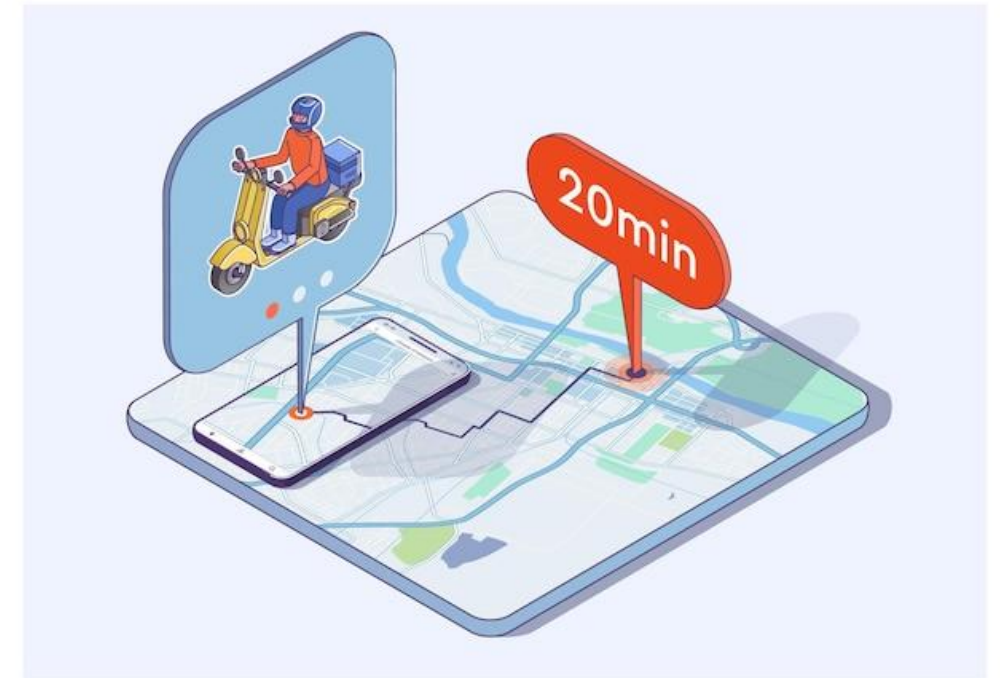
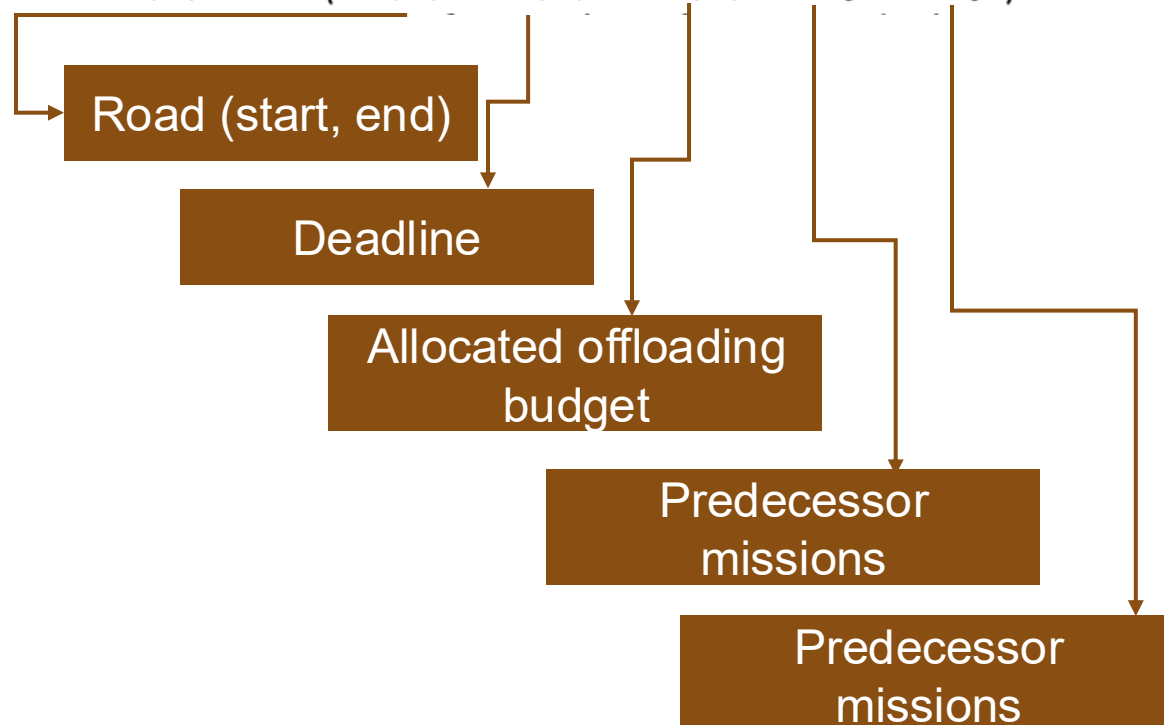
- There are MEC servers (edge) and a cloud server
- O-RU, O-DU, O-CU components map to real Open RAN layers
- RIC: Near-RT RIC (xApps) and Non-RT RIC (rApps) influence scheduling and control
- Vehicles communicate with RU → DU (MEC) → CU (Cloud)



Problem statement, System model

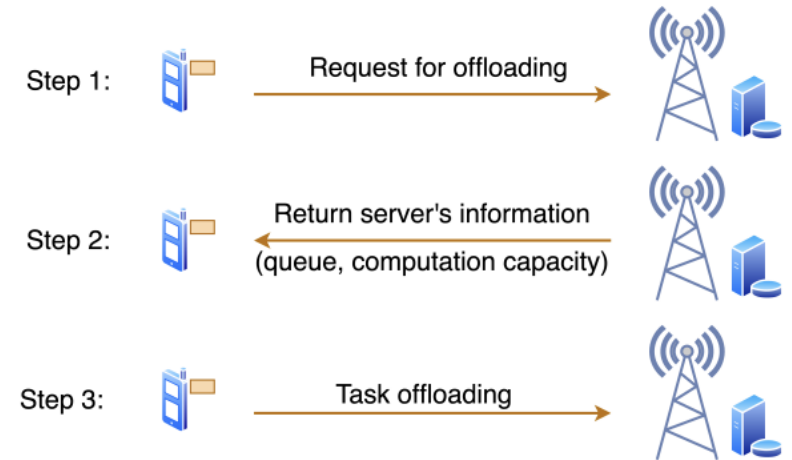
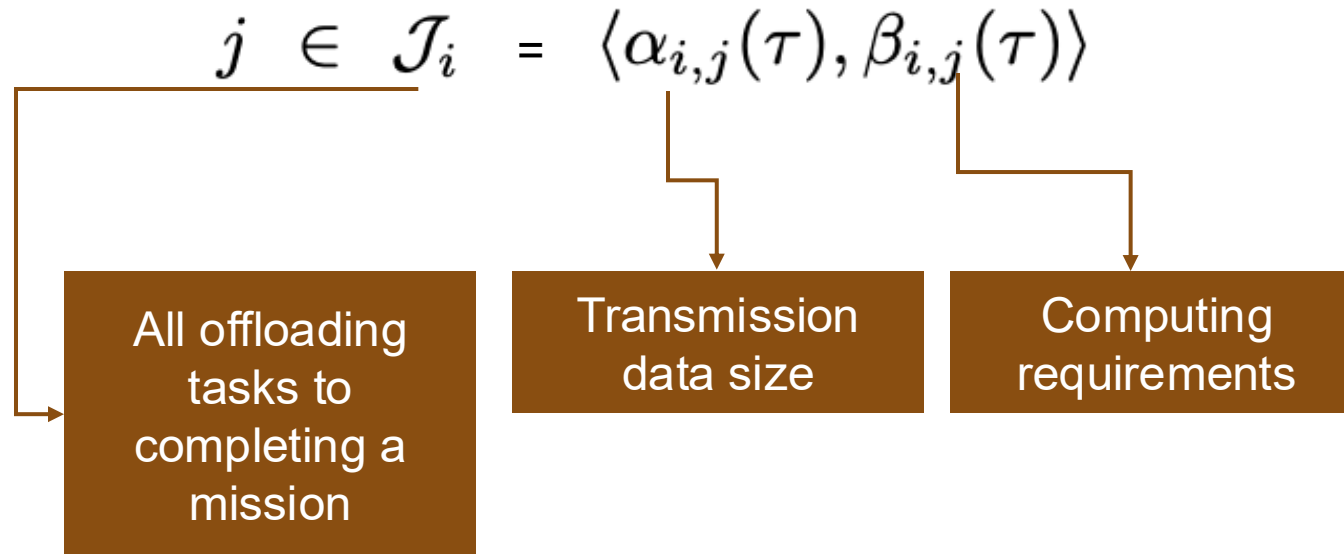
Def. **Mission**

$$M_i(\tau) \triangleq \langle r_i(\tau), T_i(\tau), B_i(\tau), \mathcal{M}_i^-, \mathcal{M}_i^+ \rangle$$



Problem statement, System model

Def. Offloading Tasks of a mission i



Problem statement, System model

Def. Time spend to complete a mission

$$d_i(\tau) = d_i^{\text{move}}(\tau) + d_i^{\text{comm}}(\tau) + d_i^{\text{comp}}$$

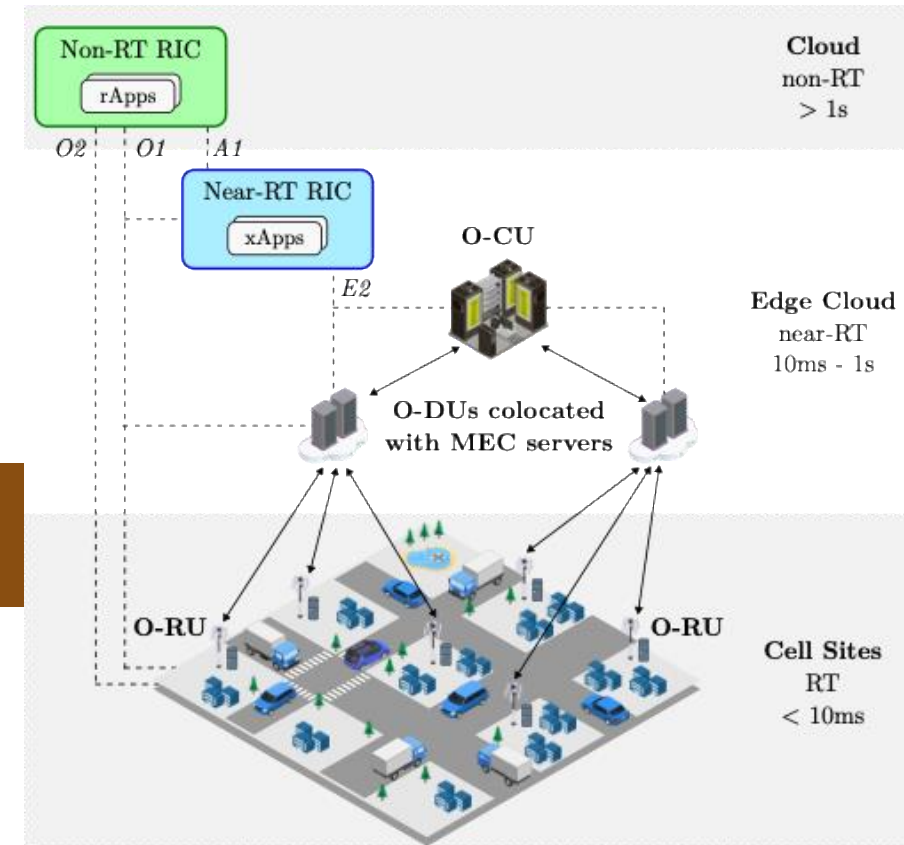
Def. Offloading cost for completing mission

$$C_i(\tau) = \sum_{j=1}^{|\mathcal{J}_i|} C_{i,j}(\tau) = \sum_{j=1}^{|\mathcal{J}_i|} c_o(d_{i,j}^{\text{comm}} + d_{i,j}^{\text{comp}})$$

Per-unit cost charge

Def. Remaining benefits

$$B_i^{\text{rema}}(\tau) = B_i(\tau) - C_i(\tau) \geq 0, \quad \forall M_i(\tau) \in \mathbf{M}(\tau)$$



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Optimization problem formulation

$$\begin{aligned} \mathcal{P}_1 : \quad & \max_{\mathbf{D}(\tau)} \sum_{M_i(\tau) \in \mathbf{M}(\tau)} \mathbb{1}_{\{\delta_i(\tau) \leq T_i(\tau)\}} \\ & \text{s.t. } (1), (3), (4), (5), (6), (10), (15). \end{aligned}$$

- (1) All mission is assigned to K^* vehicles.*
- (3) One mission is handled by a vehicle*
- (4) Each mission has a specified order*
- (5) All assigned missions has order in one vehicles*
- (6) Ordering mission has to based on its successors and predecessors*
- (10) All missions is completed validly if it is in considered time frame*
- (15) Remaining benefits should not negative*

Outline

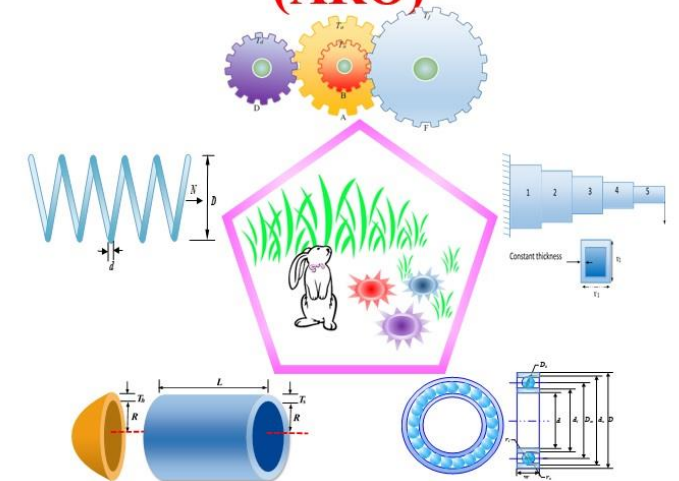
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Proposed meta-heuristic algorithm

Limitation of original ARO:

- *Low initialization diversity → risk of premature convergence*
- *Detour foraging mixes exploration/exploitation inefficiently*
- *Random hiding lacks guidance from good solutions*
- *Less effective in dynamic, constraint-rich ITS optimization*

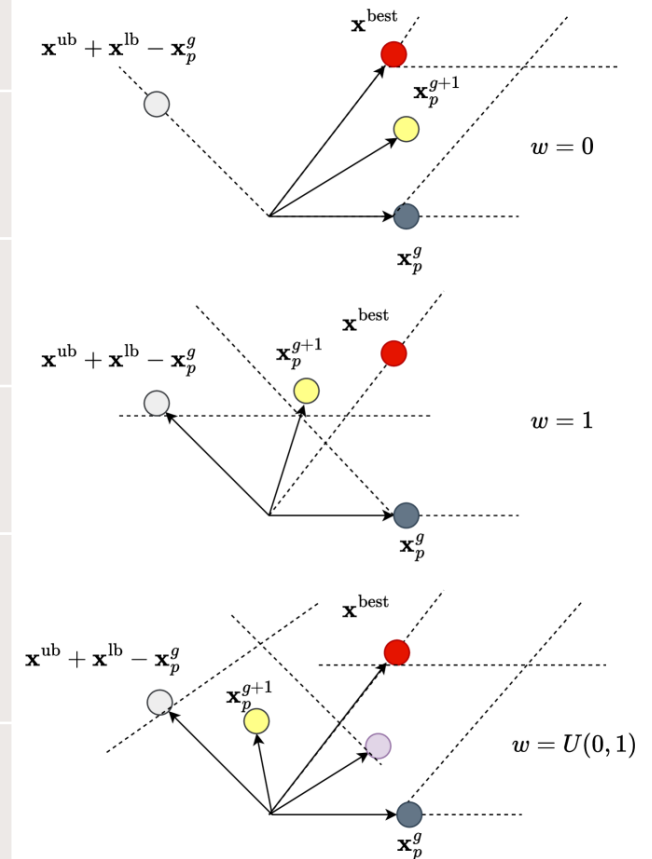
Artificial Rabbits Optimization (ARO)



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Proposed meta-heuristic algorithm

Improvement Category	Enhancement in CGG-ARO	Main Benefits
Population Initialization	Uses Piecewise Chaotic Map (PCM) instead of uniform random initialization	Increases population diversity, avoids premature convergence
Exploration Mechanism	Introduces Gaussian-based detour foraging to generate controlled random perturbations	Enhances global search capability and coverage of the search space
Exploitation Mechanism	Integrates Opposition-Based Learning (OBL) when updating solutions	Accelerates convergence toward high-quality regions and improves refinement
Random Hiding Stage	Updated using global best solution + random agent guidance instead of pure randomness	Stronger local exploitation, reduces aimless search behavior
Search Balance Strategy	Clearer separation between exploration and exploitation phases based on energy factor (A)	More stable optimization, reduced risk of local optima trapping
Position Updating Dynamics	Combination of chaotic behavior + Gaussian noise + OBL influence	Achieves better exploration–exploitation trade-off in dynamic ITS environments



Proposed meta-heuristic algorithm

1. Improving initial population set

$$x_p^{g+1}(l) = \begin{cases} \frac{x_p^g(l)}{\rho}, & 0 \leq x_p^g(l) < \rho \\ \frac{x_p^g(l) - \rho}{0.5 - \rho}, & \rho \leq x_p^g(l) < 0.5 \\ \frac{1 - \rho - x_p^g(l)}{0.5 - \rho}, & 0.5 \leq x_p^g(l) < 1 - \rho \\ \frac{1 - x_p^g(l)}{\rho}, & 1 - \rho \leq x_p^g(l) < 1. \end{cases} \quad (17)$$

2. Balance between exploration/exploitation stage moving direction

$$\mathbf{x}_p^{g+1} = \mathbf{x}_p^g + \mathbf{r}_1 \mathcal{N}(0, \sigma) \quad (18)$$

$$\mathbf{x}_p^{g+1} = \mathbf{x}_p^g + \mathbf{r}_2 [w(\mathbf{x}^{\text{ub}} + \mathbf{x}^{\text{lb}} - \mathbf{x}_p^g) + (1 - w)(\mathbf{x}^{\text{best}} - \mathbf{x}_p^g)] \quad (19)$$

3. Random hiding stage during exploitation

$$\mathbf{x}_p^{g+1} = \mathbf{x}_{p'}^g + (2U(0, 1) - 1)\mathbf{r}(\mathbf{x}^{\text{best}} - \mathbf{x}_{p''}^g) \quad (20)$$

Algorithm 1 Chaotic Gaussian-based Global AROs (CGG-ARO)

```

1: Initialization: Initialize population set:  $[\mathbf{x}_1^g, \mathbf{x}_2^g, \dots, \mathbf{x}_P^g]$  follow Section III-A. //  $P$  is the size of the population;
2: Set  $g = 0$  and maximum number of iterations  $g_{\max}$ ;
3: Calculate fitness for population and find the best individual  $\mathbf{x}^{\text{best}}$ 
4: while  $g < g_{\max}$  do
5:   for  $p \in [1 : P]$  do
6:     Calculate the energy factor  $A$  [15];
7:     if  $A > 1$  then
8:       if  $U(0, 1) > 0.5$  then
9:         Calculate the solution  $\mathbf{x}_p^{g+1}$  using Eq. (18);
10:      else
11:        Calculate the solution  $\mathbf{x}_p^{g+1}$  using Eq. (19);
12:      end if
13:    else
14:      if  $U(0, 1) > 0.5$  then
15:        Calculate the solution  $\mathbf{x}_p^{g+1}$  using Eq. (20);
16:      else
17:        Apply ARO's original updating rule;
18:      end if
19:    end if
20:    Retain the better solution based on fitness value;
21:  end for
22:  Update the best solution  $\mathbf{x}^{\text{best}}$ ;
23: end while
24: Return:  $\mathbf{x}^{\text{best}}$ ;

```

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Experimental results

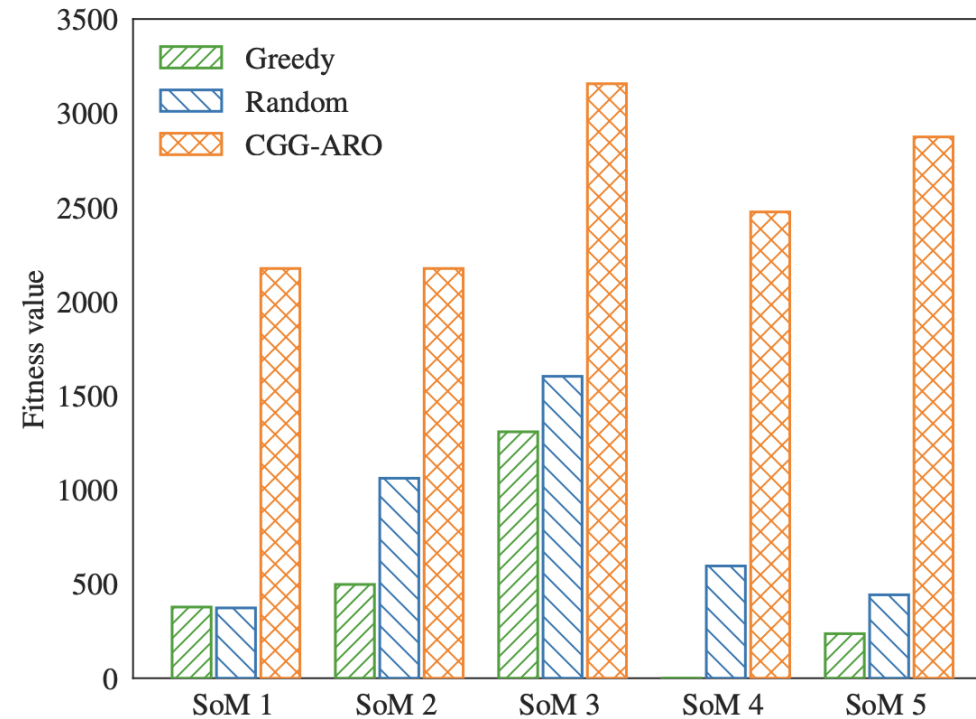
Mean and Standard Deviation of Algorithms Results over 15 runs

Model	Fitness	Completed missions	Total benefits
APO	2834.6 ± 51.5	22.8 ± 0.6	1138.2 ± 30.9
SHADE	2876.8 ± 68.4	23.2 ± 0.8	1158.2 ± 39.4
L-SHADE	2885.6 ± 68.8	23.4 ± 0.9	1168.2 ± 43.4
EO	2868.3 ± 48.2	23.3 ± 0.7	1164.8 ± 35.6
ARO	2909.0 ± 76.1	23.7 ± 0.9	1181.5 ± 45.4
CGG-ARO	2941.2 ± 84.6	24.0 ± 1.0	1198.2 ± 49.4

- CGG-ARO has outstanding results in all measurement metrics*

Experimental results

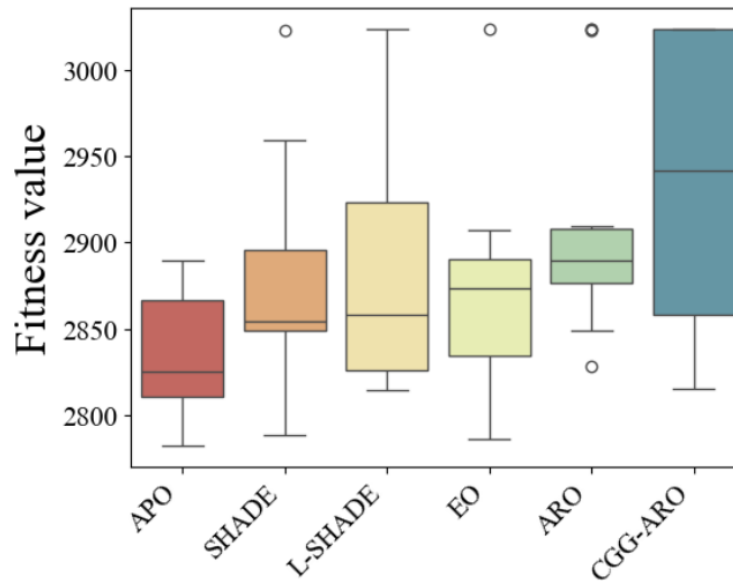
Fitness values with different set of missions



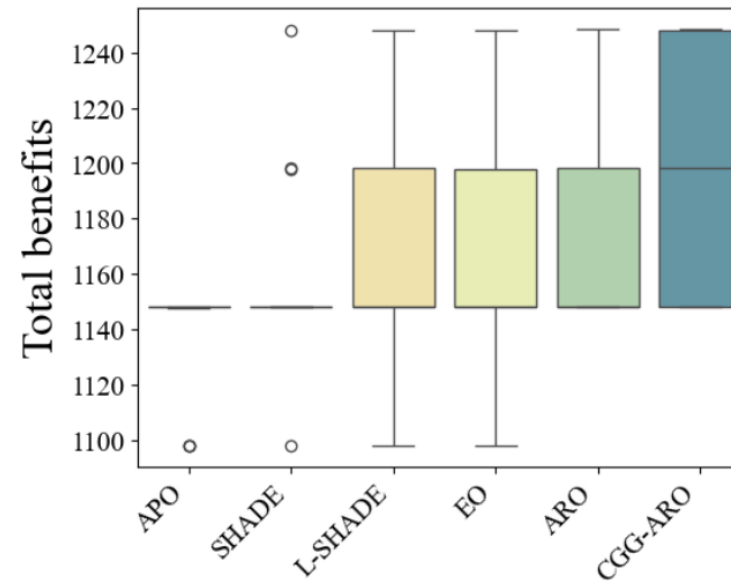
- *CGG-ARO archives excellent performance compared to others*

Experimental results

Boxplot comparison of (a) the fitness value and (b) the total benefits



(a) Fitness value.



(b) Total benefits.

- CGG-ARO consistently outperforms all baselines across all measured metric

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Conclusion and future work

Conclusion

- CGG-ARO optimizes mission assignment & task offloading in Open RAN–ITS.
- Considers dependencies, deadlines, cost, delays.
- Outperforms baselines: more missions completed, higher benefits.
- Shows strong potential for real-time ITS optimization.

Future Work

- Larger-scale / multi-region ITS.
- Energy-aware vehicle scheduling.
- Hybrid ML + optimization approaches.
- Real Open RAN/MEC testbed evaluation.



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